# **DEFORMATION BEHAVIOR OF TYPICAL INCLUSIONS IN GCr15 DURING HOT ROLLING PROCESS**

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#### *Abstract*

*Non-metallic inclusions have a considerable influence on the lifespan of bearing steel. Studying the deformation behavior of these inclusions during the rolling process is crucial for controlling their shape and size in production. This study focuses on GCr15 bearing steel, a representative grade of bearing steel, and utilizes ABAQUS finite element software to simulate the deformation of Al<sub>3</sub>O<sub>3</sub> inclusions, MnS inclusions, and Al<sub>3</sub>O<sub>3</sub>-MnS composite inclusions after hot rolling of GCr15 steel. The findings indicate that when the size of the inclusions is within 10 µm, their type and shape have a greater influence than variations in size. Among them, Al<sub>2</sub>O<sub>3</sub>-MnS composite inclusions damage the steel matrix the least. The stress concentration of Al<sub>2</sub>O<sub>3</sub> inclusions will occur on the MnS cladding layer, which can slow down the occurrence of cracks. In additionally, the aspect ratio of MnS inclusions decreases after rolling, which reduces their influence on the anisotropy of the steel matrix. At the same time, composite inclusions can harmonize the deformation capabilities of the inclusions and the steel matrix, minimizing the likelihood of void formation. Consequently, in the smelting process, it is beneficial to modify*  inclusions into regular circular shapes and form composite Al<sub>2</sub>O<sub>3</sub>-MnS inclusions to mitigate their detrimental effects on *the steel matrix.* 

*Keywords: Hot rolling; Complex inclusions; Stress concentration; Strain difference; Finite element simulation*

# **1. Introduction**

With the industrialization of various societal sectors, the use of bearing steel has become increasingly widespread. This type of steel is commonly utilized in high-end equipment fields such as aerospace, transportation, mining machinery, and marine engineering due to its ability to withstand harsh working environments. Consequently, it demands high fatigue strength and impact toughness in high-speed and heavy-load conditions [1-3]. The performance of bearing steel is contingent upon its material composition, forging or rolling processes, and heat treatment methods. In light of environmental protection and energy conservation imperatives, there is a pressing need to enhance the quality of bearing steel to sustain higher loads without enlargi[ng it](#page-11-0)s size or weight. Inclusion in bearing steel is one of the main factors affecting its life. Therefore, it is very important to study the deformation behavior of inclusions in steel to clarify the harm of inclusions [4, 5].



The presence of inclusions in steel can lead to stress concentration when subjected to alternating loads, thereby disrupting the continuity of the steel matrix [6, 7]. Different types of inclusions possess varying degrees of hardness, brittleness, and thermal expansion coefficients, which means that the severity of defects they induce also varies. Brittle inclusions, such as  $Al_2O_3$  and TiN, are particularly prone to causing stress concentrations during processing, which may res[ult](#page-11-1) [in](#page-11-2) cracks forming within the steel matrix [8- 11]. The influence of the plastic inclusion MnS on the fatigue properties of bearing steel is a subject of debate. Some scholars believe that the fatigue of steel is mainly related to the size of inclusions. MnS will promote the nucleation of voids during deformation, which can easily lead to quasi-cleavage fracture and failure of materials [12, 13]. Other research, however, assumes that plastic inclusions encapsulate brittle inclusions, and can thus alleviate the stress around them. This mechanism allows for a more harmonious deformation between the inclusions and the matrix,

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ultimately reducing the damaging effects associated with brittle inclusions [13, 14].

Currently, research on the deformation of inclusions during the rolling process primarily relies on field data and finite element simulations, with experimental studies playing a supplementary role. Compared to experimental studies, finite element simulations are more c[ost-](#page-11-3)[effe](#page-11-4)ctive and time-efficient, allowing for a more intuitive observation of the entire inclusion deformation process. Matsuika [15] selected  $AI<sub>2</sub>O<sub>3</sub>$  and MnS as representative inclusions in a steel matrix and utilized DEFORM-2D to simulate a uniaxial compression experiment. The relationship between the flow stress ratio of inclusions to the steel matrix and the aspect ratio of inclusions postcompression was examined by comparin[g th](#page-11-5)e results with those from the uniaxial compression experiment. Gupta [16] employed ANSYS-2D software to simulate the stress and strain experienced by inclusions of varying hardness during hot rolling at temperatures ranging from 800  $^{\circ}$ C to 1400  $^{\circ}$ C, utilizing both macro and micro models. The findings indicated that inclusions with higher hardness are more pr[one](#page-11-6) to generating voids at the interface between the steel matrix and the inclusions. Wang [17] chose MnO,  $Al_2O_3$ , and SiO<sub>2</sub> composite inclusions and used ABAQUS-3D software to simulate the deformation of these composite inclusions under different temperatures, reductions, and steel grades, unveiling the mechanism behind void formation between inclusions and the steel [mat](#page-12-0)rix. Zhang [18] applied ANSYS, selecting  $\text{Al}_2\text{O}_3$ and MnS as typical inclusions in the steel matrix, and employed a thickness reduction transfer method to simulate crack propagation around the inclusions. Ge [19] utilized ABAQUS-2D to simulate the formation of voids around  $\text{Al}_2\text{O}_3$  inclusions during CSP hot rolling throu[gh](#page-12-1) a 'deformation accumulation' approach. Guo [20] used ABAQUS-2D to simulate the deformation of  $AI_2O_3$ , MnS, AlN, and TiN inclusions, as well as  $\overrightarrow{A}$  AlN-MnS and  $\overrightarrow{A}$  Al<sub>2</sub>O<sub>3</sub>-AlN [com](#page-12-2)posite inclusions during compression. The study revealed that inclusions with lesser deformation capabilities generate greater stress within the steel matrix. In the ab[ove](#page-12-3) rolling simulation, the size of the inclusions ranges from 50 to 1000 μm. However, in actual production, the inclusions are smaller and have a larger size ratio relative to the matrix. Most studies focus on the rolling deformation of single inclusions, with few investigations into composite inclusions.

In this study, a rudimentary rolling model was constructed using ABAQUS-2D.  $AI<sub>2</sub>O<sub>3</sub>$  and MnS inclusions, as well as  $AI_2O_3$ -MnS composite inclusions with varying hardness, were selected as typical inclusions in the steel matrix. The deformation

of these inclusions, ranging in size from 2 to 20 μm and differing in shape and hardness, during the hot rolling of steel was simulated. The impact of these inclusions on the steel matrix was evaluated by analyzing the stress and strain exerted on both the inclusions and the steel matrix.

### **2. Establishment of the model**  *2.1. Mathematical model*

During the rolling process, the deformation of the rolled piece undergoes an uneven deformation process. Concurrently, various regions of the rolled piece may experience plastic deformation, an elastic state, or a transitional stage from an elastic state to plastic deformation. In such cases, the Prandtl-Reuss theory of plastic flow separates the strain rate into elastic and inelastic components [21, 22]:

$$
d\varepsilon_{ij} = d\varepsilon_{ij}^e + d\varepsilon_{ij}^p \tag{1}
$$

where  $d\varepsilon_{ij}$  is total strain increment;  $d\varepsilon_{ij}^e$  is elastic strain increment;  $d\varepsilon_{ij}^p$  is increment of plastic strain. According to the generalized Ho[oke](#page-12-4) ['s la](#page-12-5)w, the elastic strain increment is:

$$
d\varepsilon_{ij}^e = \frac{1 - 2\nu}{3E} \delta_{ij} d\sigma_{kk} + \frac{1 + \nu}{E} dS_{ij}
$$
 (2)

where  $d\varepsilon_{ij}^e$  is elastic strain increment;  $\sigma_{kk}$  is mean stress; E is elastic modulus;  $\nu$  is Poisson's ratio;  $S_{ii}$  is deviator stress tensor; According to the Levi-Mises increment theory, the plastic strain increment is:

$$
d\varepsilon_{ij}^p = \alpha dS_{ij} \tag{3}
$$

where  $d\varepsilon_{ij}^p$  is increment of plastic strain; S<sub>ii</sub> is deviator stress tensor;  $\alpha$  is the scaling factor,  $\alpha = 1$  is the plastic state,  $\alpha = 0$  is the elastic state. The constitutive equation of elastic-plastic material can be obtained by combining Eq.  $(1)$ , Eq.  $(2)$  and Eq.  $(3)$ :

$$
d\varepsilon_{ij} = \frac{1-2v}{3E} \delta_{ij} d\sigma_{kk} + \frac{1+v}{E} dS_{ij} + \alpha dS_{ij}
$$
 (4)

In the hot working process of metals, the deformation resistance is related to temperature, strain and strain rate [19]. Pan [24] carried out the hot compression test of GCr15 bearing steel on the Gleeb-3500 thermal simulation machine, and obtained the flow stress constitutive equation of GCr15 bearing steel at high temperature:

$$
\sigma = \frac{1}{\alpha} ln \left\{ \frac{\hat{\epsilon} \exp(Q/RT)}{A} \right\}^{\nu/n} + \left\{ \frac{\hat{\epsilon} \exp(Q/RT)}{A} \right\}^{\nu/2} + 1 \left\}^{\nu/2} \tag{5}
$$

$$
\begin{array}{cc}\n\text{CC} & \text{O} & \text{O} \\
\text{EY} & \text{SA}\n\end{array}
$$

where  $\sigma$  is high temperature flow stress;  $\alpha$  is stress level constant;  $\dot{\varepsilon}$  is strain rate; Q is hot deformation activation energy; R is gas constant, 8.314 J*·*mol-1*·*K-1; T is thermodynamic temperature; A, n, is temperaturedependent material constants.

#### *2.2. Geometric model of inclusions*

According to the results of references [30-32], the inclusions in GCr15 steel primarily exist as  $AI<sub>2</sub>O<sub>3</sub>$ , MnS, and  $Al_2O_3-MnS$  composite inclusions. Considering the typical morphology of these inclusions,  $AI<sub>2</sub>O<sub>3</sub>$  inclusions are represented by square and circular shapes, MnS inclusions by circular and elliptical shapes with an aspect ratio of 2, and  $\text{Al}_2\text{O}_3$ -MnS composite inclusions by circular MnS encapsulating circular  $AI<sub>2</sub>O<sub>3</sub>$  and square  $AI<sub>2</sub>O<sub>3</sub>$  shapes. The two-dimensional geometric model of these inclusions is illustrated in Fig. 1.

There are significant size differences in the inclusions found in steel materials. In this study, the size of these inclusions is considered a variable in our simulations. We observed an increase in the side length of square  $Al_2O_3$  inclusions and the diameter of circular  $AI<sub>2</sub>O<sub>3</sub>$  inclusions, ranging from 2 µm to 10 µm. Similarly, the diameter of circular MnS inclusions and the short axis length of elliptical MnS inclusions also expanded from 2  $\mu$ m to 10  $\mu$ m. In the  $Al_2O_3$ -MnS composite inclusion, the diameter of the outer MnS inclusion layer escalated from 5 µm to 10  $\mu$ m, while the side length of the inner square Al<sub>2</sub>O<sub>3</sub>

inclusion was 3 µm, and the diameter of the circular  $AI<sub>2</sub>O<sub>3</sub>$  inclusion was 4 µm. The size of the inner brittle inclusion remained constant throughout. This research exclusively examined the impact of MnS inclusions with varying thicknesses on the outer layer of brittle inclusions.

#### *2.3. Related physical parameters*

The rolling model parameters of the hot rolling process are shown in Table 1. The length of the rolled piece is 200 mm, the width is 100 mm, and the inclusion position is set at the center of the rolled piece. The start rolling temperature of hot rolling is 1100℃, and the chemical composition of GCr15 steel is shown in table 2. According to reference [24], the values of and n are 0.00971, 325270, 325.27,  $3.018\times10^{12}$  and 4.573, respectively. The flow stress of GCr15 steel is calculated by Eq. (5), and the results are shown in Table 3.

The physical parameters of  $AI<sub>2</sub>O<sub>3</sub>$  inclusions at high temperature are difficult to obtain. In this p[aper](#page-12-6), the parameters of high temperature  $AI<sub>2</sub>O<sub>3</sub>$  ceramics at 1100 ℃ are used [19, 25]. The physical parameters of MnS inclusions at 1100 ℃ refer to Jin 's literature [19, 26], and other parameters are shown in Table 4.

The deformation behavior of inclusions in steel in the field experiment, the problem of large difference between the size of slab and inclusion will be encountered. Con[trol](#page-12-2)[ling](#page-12-8) the composition of micron[size](#page-12-2)[d in](#page-12-9)clusions in advance and incorporating them



*Figure 1. Two-dimensional model of different inclusions:(a) circular Al,O<sub>3</sub>;(b) Circular MnS;* (c) Circular Al<sub>2</sub>O<sub>3</sub>-MnS; (d) Square Al<sub>2</sub>O<sub>3</sub>; (e) Elliptic MnS; (f) Circular Al<sub>2</sub>O<sub>3</sub>-MnS











into a slab during field experiments presents significant challenges. While numerical simulation offers a viable solution, it is not without its pitfalls, as inclusions are susceptible to mesh distortion during the computational process. To address these multiscale challenges and mitigate mesh distortion, several techniques have been explored, including transitional mesh segmentation, thickness reduction transfer, and the submodel approach [18, 19, 23]. In this research, we opt for the submodel technique. This involves extracting specific areas from the global model and

*Table 3. Flow stress*  $(\varepsilon = 1 \text{ s}^{-1})$ 

Temperature $(^{\circ}C)$	950	1000	1050	1100
Flow stress (MPa)				
GCr15	150.3	125.7	104.6	86.9
AI <sub>2</sub> O <sub>3</sub>	300	250	200	160
MnS	50	45	38	28

*Table 4. Physical parameters*



subsequently implanting spherical inclusions within these regions to formulate a matrix submodel that encapsulates the inclusions. This strategy facilitates a localized refinement of the mesh surrounding the inclusion without necessitating an overwhelming increase in computational demand. As depicted in Fig. 3, both the primary model and the submodel utilize the CPE4RT grid type. Following the meshing of the primary model, the steel matrix comprises a total of 20,000 elements. Upon refinement of the submodel, there are  $2,628$  elements present, and each 2  $\mu$ m circular inclusion is represented by 96 elements.

In an effort to streamline the model, certain conditions that exert minimal influence on the hot rolling process are idealized. Furthermore, the following assumptions are introduced for the developed model:

(1) The roll in the model is rigid, while the rolled



*Figure 2. Two-dimensional schematic diagram of inclusions*





*Figure 3. Submodel method: (a) Rolling model; (b) Splitting the grid; (c) Inclusions; (d) Submodel*

piece and its inclusions consist of elastic-plastic materials;

(2) The properties of the rolled piece and its inclusions exhibit isotropy;

(3) Cohesion between the rolled piece and the inclusion is not accounted for;

(4) The friction coefficient between the roll and the rolled piece remains constant at 0.3, and the rolled piece and the inclusion are perfectly integrated, disregarding friction between the steel matrix and the inclusion;

(5) The temperature of the rolled piece is maintained throughout the rolling process, ensuring uniform temperature across all positions of the rolled piece;

(6) No residual stress is present at the inclusion, and the propensity for cavity formation and cracking is assessed through stress field analysis and strain differences, without delving into fracture mechanics.

#### **3. Results**

## *3.1. Effect of MnS inclusions on steel matrix*

The plasticity of MnS inclusions varies under different temperature conditions. In this study, a hot rolling temperature of 1100 °C was chosen, as it results in the highest relative plasticity of MnS inclusions [27, 28]. This increased plasticity allows for a more pronounced difference between MnS and  $Al_2O_3$  inclusions, enabling better observation of the changes in various plastic inclusions within the steel matrix. As illustrated in Fig. 4, whether the inclusion is a regular circle or an elliptical MnS inclusion with a length-wi[dth](#page-12-10) [rati](#page-12-11)o of 2, the maximum strain shifts from the positive center of the inclusion to the BDFH of the inclusion. However, the strain at both the center and the BDFH of the inclusion gradually decreases. This phenomenon can be attributed to the diminishing influence of longitudinal and transverse stresses of the same size on the inclusion's strain as its size increases. From the results, it is evident that smaller MnS inclusions are more likely to deform into slender strip MnS inclusions during rolling.

## 3.2. Effect of Al<sub>2</sub>O<sub>3</sub> inclusions on steel matrix

The variation in size of idealized circular  $AI_2O_3$ inclusions influences stress distribution. As illustrated in Fig. 5, the stress at point AE for these circular inclusions diminishes with increasing size, whereas the peak stress consistently occurs at BDFH. In contrast, the stress distribution for square  $AI_2O_3$ inclusions remains unaffected by size changes. The peak stress values for both square and circular  $AI_2O_3$ inclusions are observed at BDFH, but the magnitude for square inclusions exceeds that of circular ones. Notably, as the size increases, there is minimal alteration in the peak stress for either type of inclusion. The peak stress for circular  $AI<sub>2</sub>O<sub>3</sub>$ inclusions consistently approximates 160 MPa, while for square  $AI<sub>2</sub>O<sub>3</sub>$  inclusions, it consistently approximates 450 MPa. This suggests that, relative to size, the shape of the inclusion exerts a more pronounced impact on stress, with the size effect primarily influencing the area subjected to peak stress.

Fig. 6 illustrates the strain on the steel matrix surrounding  $AI_2O_3$  inclusions. Circular  $AI_2O_3$ inclusions remain undeformed post-rolling, whereas square  $AI<sub>2</sub>O<sub>3</sub>$  inclusions exhibit minor deformation at their four corners. The strain distribution around





*Figure 4. Strain distribution of circular and elliptical MnS inclusions with different sizes Diameter of round MnS: (a) 2*  $\mu$ *m; (c) 6*  $\mu$ *m; (e) 10*  $\mu$ *m; Elliptical MnS minor axis length: (b) 2 µm; (d) 6 µm; (f)10 µm*

various shapes of  $Al_2O_3$  inclusions remains consistent, irrespective of size. The strain and stress are concentrated at the four corners of the square Al<sub>2</sub>O<sub>3</sub> inclusions. The peak stress for square  $\text{Al}_2\text{O}_3$ inclusions coincides with the location of strain, while circular  $AI<sub>2</sub>O<sub>3</sub>$  inclusions, being more uniform, experience less stress and no deformation. Observing the strain around the  $AI<sub>2</sub>O<sub>3</sub>$  inclusions, it can be seen that the strain distribution of  $AI<sub>2</sub>O<sub>3</sub>$  inclusions with different shapes is the same after rolling. The maximum strain around the inclusion is at ACEG, and the strain near the inclusion is 0. Therefore, between the inclusions and the steel matrix, the ACEG is the place with the largest strain difference. Due to the generation of strain difference, the steel matrix and the inclusions will have a force that separates the two due to deformation, and the larger the strain difference, the greater the force generated. When the force generated is greater than the bonding force between the inclusions and the steel matrix, the two will be separated to produce voids. This phenomenon will subsequently evolve into cracks, which is extremely harmful to the performance of steel. After calculation, the strain difference generated at A is the largest, because the AE is along the rolling direction, and the lateral deformation will be greater than the longitudinal deformation. Due to the inertia generated by the movement of the rolled piece during the rolling process, the inclusions will move slightly backward, which also leads to the phenomenon that the strain at A is slightly larger than

that at E. All in all, the probability of voids at A is greater.

## 3.3. *Effect of Al<sub>2</sub>O<sub>3</sub>-MnS composite inclusions on steel matrix*

For  $Al_2O_3$ -MnS composite inclusions, the diameter of MnS inclusions was set to gradually increase from 5μm to 10μm, and spherical  $\text{Al}_2\text{O}_3$  inclusions with a diameter of 4 $\mu$ m and square  $Al_2O_3$  inclusions with a side length of 3μm were embedded in them, respectively. The difference in size between the two is to control the volume gap between the two and reduce the error. As depicted in Fig. 7, the MnS inclusion layer does not alter the stress distribution of the intermediate  $AI<sub>2</sub>O<sub>3</sub>$  inclusion, and the maximum stress distribution of the  $Al_2O_3$  inclusion remains at BDFH. However, the stress of  $Al_2O_3$  inclusions with different shapes diminishes as the thickness of the MnS inclusion coating layer increases, thereby reducing the likelihood of stress concentration and crack initiation in  $Al_2O_3$  inclusions. Concurrently, since the maximum stress of the square  $Al_2O_3$  inclusion is at the MnS inclusion, this facilitates the transfer of crack initiation from the steel matrix to the inclusion, which is advantageous for the steel matrix.

As illustrated in Fig. 8, the application of a MnS inclusion coating results in a diminished strain within the steel matrix, as well as a reduced strain difference between the inclusion and the matrix. This observation confirms that MnS inclusions can





**Figure 5.** The stress distribution of  $Al<sub>2</sub>O<sub>3</sub>$  inclusions with different sizes and shapes: *Circular diameter: (a) 2 µm; (b) 6 µm; (c) 10 µm; Square side length: (d) 2 µm; (e) 6 µm; (f) 10 µm*



*Figure 6. Strain distribution of*  $Al_2O_3$  *inclusions with different sizes: Circular diameter: (a) 2 µm; (b) 6 µm; (c) 10 µm; Square side length: (d) 2 µm; (e) 6 µm; (f) 10 µm*

effectively mediate the deformation between inclusions and the steel matrix, thereby mitigating crack formation induced by voids surrounding the inclusions. Notably, the deformation capacity of MnS inclusions is curtailed, and their deformation remains subdued compared to isolated MnS inclusions of equivalent size following rolling. Such an effect diminishes the impact of MnS inclusions on the steel matrix's anisotropy.

As illustrated in Fig. 9, a comparative analysis of the stress distribution for  $AI_2O_3$  inclusions, MnS inclusions, and  $Al_2O_3$ -MnS composite inclusions of identical size but varying shapes within the steel matrix reveals that the stress distribution patterns and maximum stress values for identical inclusions are similar. The difference between different kinds of inclusions is that the matrix with MnS inclusions is less stressed where the strain is small. Although the





**Figure** 7. Stress distribution of  $Al_2O_3$ -MnS inclusions with different sizes and shapes *Composite inclusion size: round Al<sub>2</sub>O<sub>3</sub>: (a) 6*  $\mu$ *m; (b) 8*  $\mu$ *m; (c) 10*  $\mu$ *m; Square Al2O3: (d) 6 µm; (e) 8 µm; (f) 10 µm*



**Figure 8.** Strain distribution of  $Al_2O_3$ -MnS composite inclusions with different sizes *Composite inclusion size: round Al<sub>2</sub>O<sub>3</sub>: (a) 6 µm; (b) 8 µm; (c) 10 µm; Square Al2 O3: (d) 6 µm; (e) 8 µm; (f) 10 µm*

degree of stress reduction is obvious, the area where the stress can be reduced is small. In general, it has little effect on the rolled piece. These findings indicate that while inclusions influence the stress magnitude and distribution in the steel matrix, the impact of different inclusion types and shapes is relatively consistent.

#### **4. Discussion**

As demonstrated in Fig. 10, a statistical analysis was conducted on the length-width ratios of circular and elliptical MnS inclusions of varying sizes after rolling. It is evident that the length-width ratio of elliptical MnS inclusions diminishes as their size



*Figure 9. The stress distribution of different kinds of 6 µm inclusions:*  (a)circular  $Al_2O_3$ ; (b) Square  $Al_2O_3$ ; (c) Circular MnS; (d) Elliptic MnS; (e) Circular  $Al_2O_3$  in circular  $Al_2O_3$ -MnS; (f) Square  $Al_2O_3$  in circular  $Al_2O_3$ -MnS

increases, surpassing that of standard circular MnS inclusions. Smaller elliptical MnS inclusions are more susceptible to deformation, resulting in a larger aspect ratio post-rolling. This increased aspect ratio can potentially lead to disparities in the horizontal and vertical performance of steel, thereby adversely affecting its properties.

Fig. 11 displays the maximum stress statistics for circular and square  $Al_2O_3$  inclusions of varying sizes. For circular  $AI, O<sub>3</sub>$  inclusions, an increase in size corresponds to a rise in maximum stress, albeit the change is subtle. Conversely, the maximum stress experienced by square  $AI<sub>2</sub>O<sub>3</sub>$  inclusions remains largely unchanged with increasing size. This stability can be attributed to the stress concentration primarily occurring at the tips of the square inclusions, unaffected by size variations. In manufacturing processes, mitigating the presence of square or sharply shaped inclusions within  $AI<sub>2</sub>O<sub>2</sub>$  can effectively reduce stress concentration phenomena.

As shown in Fig.6, after the rolling of  $Al_2O_3$ inclusions with different shapes, the strain distribution of the steel matrix is similar. The strain between the steel matrix and the inclusions is different, and the strain of the steel matrix is greater than the strain of the inclusions. The strain difference will separate the inclusions from the steel matrix. The larger the strain difference, the greater the force generated, and the easier it is to produce voids [29]. As illustrated in Fig. 12, an increase in size corresponds with a gradual rise in strain difference. Notably, circular  $Al_2O_3$  inclusions exhibit a larger strain difference compared to square  $AI<sub>2</sub>O<sub>3</sub>$  inclusions of equivalent size. Consequently, larger circular  $AI<sub>2</sub>O<sub>3</sub>$  inclusions are more susceptible to void formation. This suggests that larger square  $Al_2O_3$  inclusions pose a greater threat to the steel matrix integrity. To mitigate this risk, it is crucial to reduce their size and modify their shape to circular during the smelting process.

The stress of  $Al_2O_3$ -MnS composite inclusions of varying sizes was analyzed to derive Fig. 13. The results indicated that the peak stress of circular  $AI_2O_3$ inclusions diminished progressively as the thickness



*Figure 10. Aspect ratio of MnS inclusions with different sizes and shapes after rolling*





**Figure 11.** Maximum stress of Al<sub>2</sub>O<sub>3</sub> inclusions with *different sizes and shapes* 

of the MnS coating layer increased. In contrast, the stress in square  $Al_2O_3$  inclusions remained unaffected by the MnS coating layer, consistently measuring approximately 450 MPa. For standard circular  $\text{Al}_2\text{O}_3$ inclusions, the MnS coating effectively mitigated the stress concentration induced by differing hardness values. However, for  $\text{Al}_2\text{O}_3$  inclusions with tips, the MnS coating merely shifted the location of stress concentration without reducing its magnitude.

The length-width ratio of  $Al_2O_3$ -MnS composite inclusions post-rolling is statistically depicted in Fig. 14. It illustrates that as the size of these inclusions increases, there is a corresponding increase in their length-width ratio. However, this ratio remains significantly smaller than that of a singular MnS inclusion after rolling. When compared to single plastic inclusions of equivalent size, composite inclusions exert a lesser influence on the steel matrix's anisotropy. Circular  $AI<sub>2</sub>O<sub>3</sub>$  inclusions are more effective in inhibiting the deformation capability of MnS inclusions than their square counterparts. Consequently, even with a thin MnS coating, the stress on  $\text{Al}_2\text{O}_3$  inclusions remains significant due to the excessive deformation of MnS inclusions. Conversely, when the MnS cladding layer is thick, the aspect ratio of the composite inclusions post-rolling is elevated, which can impact the steel matrix's anisotropy. This phenomenon is opposite to the change of single MnS inclusion with size. Although the deformation of both inclusions is mainly MnS inclusions during rolling, there are  $AI, O<sub>3</sub>$  inclusions in the composite inclusions to hinder the deformation of MnS inclusions. Observing a single MnS inclusion, it can be found that the maximum strain of the MnS inclusion is at the core during large deformation, but the core of the composite inclusion is an undeformed



*Figure 12. Strain difference at different positions of*  $Al_2O_3$ *inclusions with different sizes and shapes*



*Figure 13. Maximum stress of Al,O<sub>3</sub>-MnS composite inclusions with different sizes after rolling*

Al<sub>3</sub>O<sub>3</sub> inclusion, which will make the deformation of the MnS inclusion shift from the core to the area around the core, and the aspect ratio of the inclusion after rolling becomes larger. However, as the size of MnS inclusions increases, the influence of  $AI_2O_3$ inclusions will gradually decrease. The aspect ratio of composite inclusions reaches the maximum at 9 μm, and then gradually returns to the deformation law of single MnS inclusions. With the increase of inclusion size, the aspect ratio after rolling decreases gradually.

Upon analyzing the maximum stress on the steel matrix, the results are depicted in Fig. 15. Observations from the figure indicate that the morphology and dimensions of the inclusions exert minimal influence on the peak stress experienced by the steel matrix. The peak stress observed around the six distinct inclusions ranges between 100-120 MPa.





*Figure 14. Aspect ratio of Al<sub>2</sub>O<sub>3</sub>-MnS composite inclusions with different sizes after rolling*



*Figure 15. The maximum stress of steel matrix around different inclusions with different sizes*

Notably, the form of the inclusions predominantly impacts the stress distribution across the steel matrix. Among the evaluated inclusions, those composed of  $AI<sub>2</sub>O<sub>3</sub>$  present the most critical stress distribution, characterized by the largest area of peak stress. Furthermore, the stress concentration surrounding the square  $Al_2O_3$  inclusions is particularly pronounced, posing a heightened risk to the integrity of the steel matrix.

Currently, most studies on the size change of inclusions in steel are primarily related to rare earth elements. Rare earth treatment modifies these inclusions, making them rounder and promoting the formation of composite  $AI<sub>2</sub>O<sub>3</sub>$ -MnS inclusions, where MnS tends to wrap around  $AI<sub>2</sub>O<sub>3</sub>$ . Research indicates that as the size of these composite inclusions increases, their aspect ratio decreases after rolling [33]. Luo [34] found that the impact performance of steel plates treated with rare earth improves postrolling. This improvement is attributed to the reduced stress concentration in  $AI_2O_3-MnS$  composite inclusions compared to single  $AI, O<sub>3</sub>$  inclusions, and a smaller aspect ratio compared to single MnS [incl](#page-12-12)usions, [res](#page-12-13)ulting in lower probabilities of crack formation and reduced anisotropic effects. According to Wang's theory [35], rare earth treatment decreases the size of  $AI<sub>2</sub>O<sub>3</sub>$  inclusions and transforms their shapes from elongated strips and sharp corners to more spherical forms, which can effectively enhance the performance of the rolled material. In summary, these experimental findings align well with the simulation results [pres](#page-12-14)ented in this paper.

### **5. Conclusion**

ABAQUS software was used to simulate the deformation of MnS inclusions,  $AI<sub>2</sub>O<sub>3</sub>$  inclusions and Al<sub>2</sub>O<sub>2</sub>-MnS composite inclusions of different sizes at the same reduction using the submodel method. The effects of different sizes and different types of inclusions in GCr15 steel after rolling were investigated and the harmfulness of the inclusions was evaluated:

(1) When the size of the inclusions is  $2-10 \mu m$ , the stress distribution on the inclusion and the stress distribution and magnitude of the steel matrix around the inclusion change little with the change of the size of the three inclusions. At this point, the size of the inclusion has little effect on the inclusion in the steel matrix.

(2) When the size of the inclusions is less than 10  $\mu$ m, the more regular the shape of the Al<sub>3</sub>O<sub>3</sub> and MnS inclusions and the closer they are to the circle, the smaller the influence of the inclusions on the steel matrix. The square  $AI<sub>2</sub>O<sub>3</sub>$  inclusions cause greater strain and are more prone to cracking. The aspect ratio of the elliptical MnS inclusions changes more after rolling, which tends to affect the anisotropy of the steel.

(3) The effect of  $AI_2O_3$ -MnS composite inclusions on the properties of steel is less than that of single  $AI<sub>2</sub>O<sub>3</sub>$  and MnS inclusions. The composite inclusions can not only eliminate the stress concentration of Al<sub>3</sub>O<sub>3</sub> inclusions, but also reduce the realizability of MnS inclusions. At the same time, they can also coordinate the strain difference between the inclusions and the steel matrix, so that the gap between the two is not easily created.

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# **Conflicts of interest**

*The authors declare that they have no conflict of interest.* 

# **Data availability statement**

*The data generated and analyzed during the current study are not publicly available due to proprietary information but are available from the corresponding author on reasonable request.* 

# **Author contribution statement**

*Conceptualization, Yuhang Jiang and Xiaodong Deng; Methodology, Yuhang Jiang; Software, Xiaodong Deng; Validation, Yuhang Jiang, Xiaodong Deng and Qiqiang Mou; Formal Analysis, Yuhang Jiang; Investigation, RodrigueArmel Muvunyi; Resources, Jianli Li; Data Curation, Yuhang Jiang; Writing – Original Draft Preparation, Yuhang Jiang; Writing – Review & Editing, Jianli Li; Visualization, RodrigueArmel Muvunyi; Supervision, Jianli Li; Project Administration, Jianli Li; Funding Acquisition, Qiqiang Mou.* 

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# **DEFORMACIONO PONAŠANJE TIPIČNIH UKLJUČAKA U GCr15 TOKOM PROCESA TOPLOG VALJANJA**

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# *Apstrakt*

*Nemetalni uključci imaju značajan uticaj na vek trajanja čelika koji se koristi za ležajeve. Proučavanje deformacionog ponašanja ovih uključaka tokom procesa valjanja od suštinskog je značaja za kontrolu njihovog oblika i veličine u proizvodnji. Ova studija fokusira se na GCr15 čelik za ležajeve, koji predstavlja tipičnu klasu čelika koja se koristi za ovu namenu, kao i ABAQUS softver za metodu konačnih elemenata kako bi se simulirala deformaciju Al2 O3 uključaka, MnS uključaka i kompozitnih Al2 O3 -MnS uključaka nakon toplog valjanja GCr15 čelika. Rezultati pokazuju da, kada veličina uključaka iznosi do 10 µm, njihova vrsta i oblik imaju veći uticaj od varijacija u veličini. Među njima, kompozitni Al2 O3- MnS uključci najmanje oštećuju čeličnu matricu. Kod Al2 O3 uključaka dolazi do koncentracije napona na MnS sloju obloge, što može usporiti pojavu pukotina. Takođe, odnos dimenzija MnS uključaka smanjuje se nakon valjanja, čime se smanjuje njihov uticaj na anizotropiju čelične matrice. Istovremeno, kompozitni uključci mogu uskladiti deformacione sposobnosti uključaka i čelične matrice, čime se mogućnost formiranja praznina svodi na minimum. Shodno tome, u procesu topljenja*  korisno je modifikovati uključke u pravilne kružne oblike i formirati kompozitne Al<sub>2</sub>O<sub>3</sub>-MnS uključke kako bi se ublažili *njihovi štetni efekti na čeličnu matricu.*

*Ključne reči: Toplo valjanje; Kompleksni uključci; Koncentracija napona; Razlika u deformaciji; Simulacija metodom konačnih elemenata*

